



Class :-10th

Sub:- Math-II

Name of Student :-

Marks :- 20

Time :-1hr

Q1. Choose the correct alternatives.

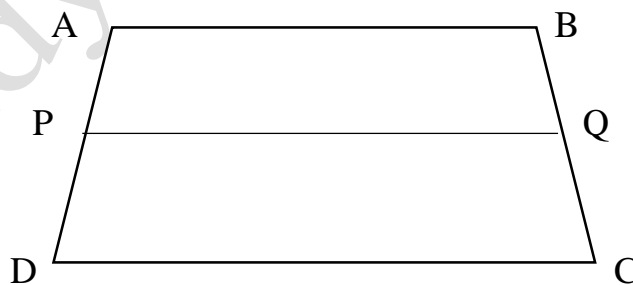
M=4

- i) In $\triangle ABC$, B-D-C and $BD = 6$ cm, $DC=4$ cm. what is the ratio of $A(\triangle ABC)$ to $A(\triangle ACD)$?
a) 2:3 b) 5:2 c) 3:2 d) 5:3
- ii) The sides of two similar triangles are 4:9. What is the ratio of their area?
a) 2:3 b) 4:9 c) 81: 16 d) 16:81
- iii) In $\triangle ABC$, $AB = 3$ cm, $BC= 2$ cm, and $AC = 2.5$ cm. $\triangle DEF \sim \triangle ABC$, $EF = 4$ cm. What is the perimeter of $\triangle DEF$?
a)30cm b)22.5cm c) 15 cm d) 7.5 cm
- iv) In $\triangle PQR$, Seg RS is the bisector of $\angle PRO$, $P5=8$, $SQ=6$, $PR=20$ then $QR=$ _____?
a) 10 b) 15 c) 30 d) 40

Q.2. Solve the following sub questions. (any-5)

M=10

- i) Ratio of corresponding sides of two similar triangles is 3:5, then find ratio of their area.
- ii) In trapezium ABCD, side $AB \parallel$ side $PQ \parallel$ side DC .
 $AP = 15$, $PD=12$, $DQ=14$. Find BQ .



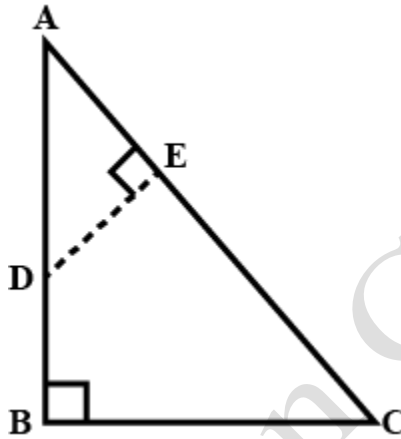
- iii) $\triangle LMN \sim \triangle PQR$, $9XA (\triangle PQR)=16XA(\triangle LMN)$
If $QR=20$, then find MN .
- iv) D is a point on side BC of $\triangle ABC$ such that, $\angle ADC=\angle BAC$.
Show that $Ac^2= BCXDC$.
- v) If $\triangle ABC \sim \triangle DEF$, Such that the area of $\triangle ABC$ is 9cm^2 and the area of $\triangle DEF$ is 16cm^2 . If $BC=2.1$ cm fine length of EF .

- vi) A vertical pole of a length 6m casts a shadow of 4m length on the ground.
At the same time a tower casts 9 shadow 28m long. Find the height of the tower.

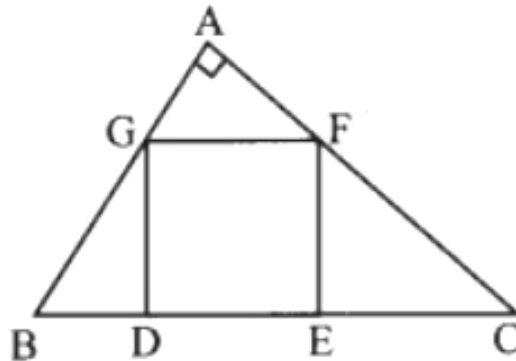
Q.3 Answer the following questions. (any -2)

M=6

- i) In the figure, $\triangle ABC$ is right angled at B. D is any point on AB.
Seg DE \perp side AC. If AD=6cm, AB=12cm, AC=18cm. Find AE



- ii) In the given figure, the vertices of square DEFG are on the sides of $\triangle ABC$.
 $\angle A = 90^\circ$. Then prove that $DE^2 = BD \times EC$
(Hint: Show that $\triangle GBD$ is similar to $\triangle CFE$. Use $GD = FE = DE$.)



- iii) Prove that the angle bisector of a triangle divides the side opposite to the angle in the ratio of the remaining sides.